

GABA, Ye.S., inzh.; KRASNOPOL'SKIY, Ye.A., inzh.; PETRUSHEVSKIY, I.N., inzh.

Some special features of the use of RVA-62 (UBK-3) automatic excitation controllers for synchronous compensators. Energ. i elektrotekh. prom. no.1:53-55 Ja-Mr '65. (MIRA 18:5)

KRASNOPOYASOVSKIY, S.

Kiln drying of seed corn. Muk.-elev.prom. 20 no.10:21-22 0 '54.  
(MLRA 7:12)

1. Khar'kovskaya kontora Zagotzerno.  
(Corn (Maize) —Drying)

KRASNOPOYASOVSKIY, S.

Seed procurement and storage. Muk.-elev.prom. 21 no.4:3-4 Ap  
'55. (MLRA 8:7)

1. Khar'kovskaya oblastnaya kontora Zagotzerno.  
(Seed industry)

KRASNOPOYASOVSKIY, S.

Drying damp grain in "Kuzbass" driers. Muk.-elev.prom.21 no.6:13  
Je'55. (MLRA 8:10)

1. Khar'kovskaya kontora Zagotzerno  
(Grain--Drying)

USSR / Cultivated Plants. Grains.

M-2

Abs Jour: Ref Zhur-Biol., No 6, 1958, 24996

Author : Krasnopoyasovskiy, S. I.

Inst : Not given

Title : Storing Seed Corn

Orig Pub: Kukuruz, 1956, No 6, 7-11

Abstract: No abstract.

Card 1/1

46

KRASNOPOYASOVSKIY, S.

Conditioning seed corn. Muk.-elev. prom 22 no.8:27-28 Ag '56.  
(MLRA 10r8)

1. Khar'kovskaya oblastnaya kontora Zagotzerno.  
(Corn (Maize))

KRASNOPOYASVOSKIY, S., SLAVINSKIY, D., starshiy agronom-entomolog

Using hydrocyanic acid for controlling cereal pests at grain elevators and flour mills of Kharkov Province. Muk.-elev.prom. 26 no.5:21 My '60. (MIRA 14:3)

1. Zamestitel' nachal'nika Khar'kovskogo upravleniya khleboproduktov (for Krasnopoyasovskiy). 2. Khar'kovskoya upravleniye khleboproduktov (for Slavinskiy).
- (Hydrocyanic acid) (Grain-Diseases and pests)

KRASNOPOYASOVSKIY, S.

Storing moist earcorn before drying. Muk.-elev. prom. 28 no.8:8-10  
Ag '62. (MIRA 17:2)

1. Khar'kovskoye upravleniye proizvodstva i zagotovok sel'skokhozyaystvennykh produktov.



L 33317-66 EWT(1)/FCC GW  
ACC NR: AP6011699 SOURCE CODE: UR/0203/66/006/002/0298/0306

AUTHOR: Krasnopol'skiy, V. A.

ORG: Institute of Nuclear Physics, Moscow State University (Institut yadernoy fiziki, Moskovskiy gosudarstvennyy universitet)

TITLE: Ultraviolet spectrum of radiation reflected by the earth's atmosphere and its use to determine the total content and vertical distribution of atmospheric ozone 12

SOURCE: Geomagnetizm i aeronomiya, v. 6, no. 2, 1966, 298-306

TOPIC TAGS: atmospheric ozone, solar radiation, stratosphere, UV spectrum

ABSTRACT: The author uses a two-layer model of the atmosphere to calculate the solar radiation reflected by the earth's atmosphere. The calculation showed that the spectrum of the atmosphere in the region  $0.31 - 0.33 \mu$  is determined mainly by tropospheric processes of scattering and reflection from clouds and depends on the total content of ozone. In the wavelength region less than  $0.3 \mu$ , all radiation is determined by scattering and ozone absorption in the stratosphere. The dependence of the ultraviolet spectrum of the atmosphere on the characteristics of the ozone layer makes it possible to calculate the total content and vertical distribution of the ozone. The problem of determining the vertical distribution of ozone from the ultraviolet spectrum of atmosphere-scattered radiation is divided into two problems: 1) The derivation of the most accurate and simplest mathematical expression of the albedo of

Card 1/2

UDC 551.510.534

L 33317-66

ACC NR: AP6011699

3  
the atmosphere within reasonable limits of an arbitrary vertical distribution of ozone and 2) finding a convenient but accurate inverse solution. An approximate solution of this problem is derived. The method that is described for determining the vertical distribution of ozone makes it possible to sound various layers of the atmosphere by a ray of various wavelengths. A great advantage of the method is its very brief (of the order of seconds) time of measurement. From the results of ultraviolet measurements from artificial earth satellites it is possible to obtain detailed data on local, diurnal, latitudinal, and seasonal variations of the ozone layer. The author thanks A. I. Lebedinskiy for his useful comments and Ye. S. Kuznetsov and T. A. Germogenova for machine computation of the radiative transfer equation. Orig. art. has: 5 figures and 16 formulas.

SUB CODE: 04 / SUBM DATE: 19May65 / OTH REF: 008

Card 2/2

VORONOV, B.G.; GUSEVA, L.M.; KURDYUMOVA, A.M.; KRASNOPROSHIN, V.A.

Spectrum analysis of girth joints in high-alloy steel. Avtom.  
svar. 17 no.4:94-95 Ap '64 (MIRA 18:1)

KRASNOPROSHINA, A.A.

Transient processes in a choke-coupled magnetic amplifier.

Izv. vys. ucheb. zav.; prib. 8 no.2:20-26 '65.

(MIRA 18:5)

1. Leningradskiy elektrotekhnicheskiy institut imeni Ul'yanova  
(Lenina). Rekomendovana kafedroy elektrifikatsii i avtomatizatsii  
promyshlennosti.

FROLOVA, M.A.; DALIN, M.V.; PEREPECHKINA, N.P.; KRASNOPROSHINA, I.I.

Methodology for studying quantitative changes in nucleic acids  
during the immunization process. Vak. i syv. no.1:230-235 '63.  
(MIRA 18:8)

1. Institut vaktsin i syvorotok im. Mechnikova i kafedra obshchey  
biologii 1-go Moskovskogo ordena Lenina meditsinskogo instituta im.  
I.N.Sechenova.

FROLOVA, M.A.; KLISENKO, G.A.; KRASHNOPROSHINA, L.I.

Problem of competitive aspects of allergic processes. Biul. eksp. biol.  
i med. 46 no.11:62-66 N '58. (MIRA 12:1)

1. Iz kafedry mirkobiologii (zav. - prof. M.N. Lebedeva) i Moskovskogo  
ordena Lenina meditsinskogo instituta imeni I.M. Sechenova (dir. - prof.  
V.V. Kovanov). Predstavlena deystvitel'nym chlenom AMN SSSR P.F. Zdrodovskim.  
(ALLERGY, exper.  
cattle & horse serum allergy, competitive aspects (Rus))

LYASHENKO, V.A.; KRASNOPROSHINA, L.I.

Changes in wound microbial flora during penicillin therapy.  
Antibiotiki 4 no.3:78-80 My-Je '59. (MIRA 12:9)

1. Kafedra mikrobiologii (zav. - prof.M.N.Lebedeva) I Moskov-  
skogo ordena Lenina meditsinskogo instituta.

(PENICILLIN, eff.

on exper. micrococcal wound infect. (Rus))

(MICROCOCCAL INFECTION, exper.

eff. of penicillin on micrococcal wound  
infect. (Rus))

FROLOVA, M.A.; KRASNOPROSHINA, L.I.; PALIN, M.V. (Moskva)

Change in the quantity of acetylcholine and the activity of  
cholinesterase in allergic processes running concurrently. Pat.  
fiziol. i eksp. terap. 4 no.3:72-73 My-Je '60. (MIRA 13:7)

1. Iz kafedry mikrobiologii (zav. - prof. M.N. Lebedeva) i Moskovskogo  
ordena Lenina meditsinskogo instituta imeni I.M.Sechenova.  
(ALLERGY) (CHOLINE) (CHOLINESTERASE)



KRASNOPROSHINA, L.I.

Effect of cortisone on the content of nucleic acids in the lymphoid tissue of rabbits immunized with typhoid fever vaccine. Zhur. mikrobiol., epid. i immun. 42 no.1:21-27 Ja '65. (MIRA 18:6)

1. Moskovskiy institut vaktsin i syvorotok im. I.I. Mechnikova.

KOLESOV, A.P., kandidat meditsinskikh nauk (Leningrad, Fontanka, 4, kv. 388);  
KRASNOROGOV, B.V., dotsent

Results of surgery in pulmonary cancer [with summary in English  
p.159] Vest.khir. 77 no.7:77-82 J1 '56. (MLRA 9:10)

1. Iz khirurgicheskoy kliniki usovershenstvovaniya vrachey (nach. -  
prof. P.A.Kupriyanov) Voenno-meditsinskoy ordena Lenina akademii  
im. S.M.Kirova.

(LUNGSGNEOPLASMS, surg.  
statist.)

*KRASNOROGOV, B.V.*

KOLESOV, A.P. (Leningrad, D-187, nab. r.Fontanki. d.4, kv.388); KRASNOROGOV,  
B.V. (Leningrad, Vasil'yevskiy ostrov, 6-ya liniya, d.37, kv.11)

Immediate and large results of surgery for lung cancer [with  
summary in English]. Vop.onk. 3 no.4:473-476 '57. (MIRA 10:11)

1. Iz khirurgicheskoy kliniki dlya usovershenstvovaniya vrachey  
(nach. - deystvitel'nyy chlen AMN SSSR prof. P.A.Kupriyanov)  
Voyenno-meditsinskoy ordena Lenina akademii im. S.M.Kirova.  
(PNEUMONECTOMY, in var.dis.  
cancer, results ("us"))

KRASNOROGOV, B.V.; TOLUZAKOV, V.L.

- Diagnostic errors in lung cancer. Vop.onk. 9 no.2:11-16'63.  
(MIRA 16:9)

1. Iz khirurgicheskoy kliniki usovershenstvovaniya vrachey no.1.  
(nachal'nik - deystvitel'nyy chlen AMN SSSR prof. P.A.Kupriyanov)  
Voyenno-meditsinskoy ordena Lenina Akademii imeni S.M. Kirova.  
(LUNGS--CANCER)

KRASNORUTSKIY, I.

Remember the instructor. Voen. znan. 40 no.2:22 F '64. (MIRA 17:2)

1. 'amestitel' predsedatelya respublikanskogo komiteta Dobrovol'nogo  
obshchestva sodeystviya armii, aviatsii i flotu ~~Bashkirskoy~~ ASSR, Ufa.

ACC NR: AP7004791

SOURCE CODE: UR/0413/67/000/001/0126/0126

INVENTOR: Ashikhmin, V. P.; Krasnorutskiy, V. S.

ORG: none

TITLE: Alloy for brazing magnesium and its alloys. Class 49, No. 190180 [announced by the Physicotechnical Institute, AN UkrSSR (Fizikotekhnicheskiy institut AN UkrSSR)]

SOURCE: Izobreteniya, promyshlennyye obraztsy, tovarnyye znaki, no. 1, 1967, 126

TOPIC TAGS: brazing alloy, cadmium, <sup>CONTAINING</sup> ~~the~~ alloy, magnesium containing alloy, *ZINC*  
*CONTAINING ALLOY, MAGNESIUM, MAGNESIUM ALLOY*

ABSTRACT: This Author Certificate introduces an alloy for brazing magnesium and its alloys which contains 30—38% cadmium, 30% zinc and 32—40% magnesium to improve the strength of the brazed joint and reduce the alloy melting point. [AZ]

SUB CODE: 11, 13/ SUBM DATE: none/ ATD PRESS: 5116

Card 1/1

UDC: 621.791.35

L 21727-66 EWT(m)/T/EWP(t) IJP(c) JD/JG/JH

ACC NR: AP6008062

(N)

SOURCE CODE: UR/0032/66/032/002/0161/0164

AUTHOR: Yerko, V. F.; Krasnorutskiy, V. S. 62

ORG: Physicotechnical Institute, Academy of Sciences UkrSSR (Fiziko-tekhnicheskii institut Akademii nauk UkrSSR) 8

TITLE: Use of localized spectral analysis for studying diffusion of beryllium into magnesium 16 17

SOURCE: Zavodskaya laboratoriya, v. 32, no. 2, 1966, 161-164

TOPIC TAGS: spectrum analysis, microchemical analysis, beryllium, magnesium, metal diffusion

ABSTRACT: The authors use the methods of localized spectral analysis (line source, laminar analysis) to determine the coefficients of diffusion of beryllium in magnesium in the 500-600°C range. The excitation source was a rectified hf discharge spark from a PS-39 generator. The spectra were taken on an ISP-28 quartz spectrograph. Optimum polarity conditions are achieved by using the specimen as the cathode in the line source method. The concentration sensitivity for determination of beryllium in magnesium under these conditions is  $4 \cdot 10^{-3}\%$  for a material consumption of  $6 \cdot 10^{-5}$  g. The line source results were checked by using the laminar analysis method with the specimen connected as the anode. This method also gives a sensitivity for beryllium

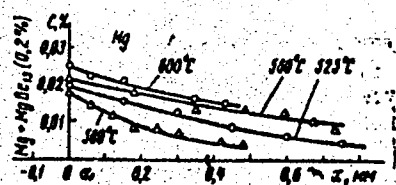
UDC: 543.42 2

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L 21727-66

ACC NR: AP6008062

determination of  $4 \cdot 10^{-3}\%$ . The experimental data were used for plotting concentration curves for the distribution of beryllium in magnesium at diffusion annealing temperatures of 500, 525, 560 and 600°C. These diffusion curves were used for calculating the coefficients of diffusion of beryllium in magnesium, plotting the temperature relationship for the coefficients of diffusion, calculating the activation energy for diffusion process in magnesium-beryllium alloys and evaluating the solubility of beryllium in magnesium in the 500-600°C temperature range. A comparison of the numerical results for the coefficients of diffusion calculated by the line source method and by the laminar analysis method showed a divergence of less than 8-10%. Orig. art. has: 4 figures.



Curves for diffusion distribution of beryllium concentration in magnesium for various annealing temperatures.

SUB CODE: 20/

SUBM DATE: 00/

ORIG REF: 008/

OTH REF: 003

Card 2/2 *dda*



L 09014-67 EWT(m)/EWP(t)/ETI IJP(c) JD/JG/JH  
ACC NR AP6027793 (N) SOURCE CODE: UR/0126/66 /022/001/0112/0114

AUTHOR: Yerko, V. F.; Zelenskiy, V. F.; Krasnorutskiy, V. S.

ORG: Physico-Technical Institute, AN UkrSSR, Khar'kov (Fiziko-tekhnicheskiy institut AN UkrSSR)

TITLE: Diffusion of beryllium in magnesium

SOURCE: Fizika metallov i metallovedeniye, v. 22, no. 1, 1966, 112-114

TOPIC TAGS: metal diffusion, beryllium, magnesium, pressure effect

ABSTRACT: A Mg-Be alloy containing 0.2% Be was produced by simultaneous deep-vacuum evaporation and condensation of Mg and Be on a single substrate. Metallographically the compound was represented by a solid solution of Be in Mg which included tiny particles of the intermetallic compound  $MgBe_{13}$ . The resulting alloy was sintered under a pressure of 600 atm at a temperature equal to the temperature of subsequent diffusion annealing. To investigate the effect of hydrostatic pressure on the diffusion of Be in Mg, two lots of specimens were prepared. The first lot was diffusion-annealed at atmospheric pressure in a special steel shell filled with MgO and the second lot was annealed at 600 atm. The distribution of Be in Mg was

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UDC: 539.292.539.219.3

L 09014-67  
ACC NR: AP6027793

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determined by means of local spectral analysis (Fig. 1) (for description of local spectral ana-

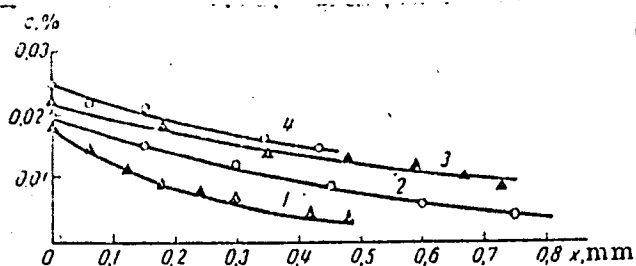


Fig. 1. Curves of the distribution of Be concentration in Mg at temperatures of:

1 - 500°C; 2 - 525°C; 3 - 560°C;  
4 - 600°C

lysis of. Yenko, V. F., Krasnorutskiy, V. S. Zavodskaya laboratoriya, 1966, 22, No 2, 161). The resulting findings on the solubility of Be in Mg as a function of temperature (Fig. 2) were used to derive the formula for the diffusion coefficient D of Be in Mg:

$$D = 8,06 \exp \left( - \frac{37490 \pm 2700}{RT} \right)$$

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L 09014-67  
ACC NR: AP6027793

log D

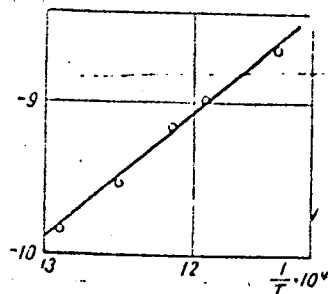


Fig. 2. Temperature dependence of the diffusion coefficient D of Be in Mg

The corresponding values of D are presented in the table below:

Annealing Temperature, °C	Annealing Time, $t \cdot 10^3$ sec	$D \cdot 10^8$ cm <sup>2</sup> /sec	
		p = 1 atm	p = 600 atm
600	778 2448	0,22	0,24
565	1181	-	0,1
560	2552,8	0,087	-
550	1890	-	0,066
525	3819,6	0,029	-
500	2246,4	0,014	-

L 09014-67

ACC NR: AP6027793

0

It is thus seen that increasing the pressure to 600 atm during diffusion annealing does not affect the diffusion rate. These findings should contribute to knowledge of the effect of Be on the high-temperature strength and mechanism of oxidation of Mg-Be alloys. Orig. art. has: 3 figures, 1 table, 4 formulas.

SUB CODE: 11, 20/. SUBM DATE: 02Aug65/ ORIG REF: 003/ OTH REF: 001

Cord 6/4 000

KRASNOSELOV, B. K.

Dissertation: "Investigating the Yields of Products Resulting From the Hydrolysis of Waste Materials From Pine Logging With the Use of Dilute Mineral Acids." Cand Tech Sci, Ural' Forestry Engineering Inst, Sverdlovsk, 1953. Referativnyy Zhurnal--Khimiya, Moscow, No 13, Jul 54.

SO: SUM No. 356, 25 Jan 1955

L 33523-66 EWT(m)/ENP(j)/T RM

ACC NR: AP6012138

(A)

SOURCE CODE: UR/0413/66/000/007/0057/0057

INVENTOR: Krasnoselov, B. K.; Popova, G. I.

ORG: none

TITLE: Preparation of a wood-phenolformaldehyde molding composition.

Glass 39, No. 180333

SOURCE: Izobreteniya, promyshlennyye obraztsy, tovarnyye znaki, no. 7, 1966, 57

TOPIC TAGS: ~~molding composition~~, wood, phenolformaldehyde, ~~molding composition~~  
WOOD CHEMICAL PRODUCT

ABSTRACT: An Author Certificate has been issued describing a method of producing a wood-phenolformaldehyde composition by impregnating wood with a solution of phenol, formaldehyde, and acid, condensation with heating, subsequent mixing of the solid moist product with other components of the molding composition, drying, and pulverizing. To take the water-soluble and easily hydrolyzed low-molecular substances out of the composition, thereby increasing the water and heat resistance, the product is treated with a diluted aqueous solution of resin-forming components, and the solid product obtained after condensation is separated from the aqueous stage and washed out. The above solution is used in a seven-to-one ratio with respect to the weight of the perfectly dry wood. [LD]

SUB CODE: 11/ SUBM DATE: 06Sep63

Card 1/1

UDC: 679.632.033:547.458.84.002.2

KRASNOSELOV, B.K.; KOZLOV, V.N.

~~Hydrolysis of destarred chips of rosin extracting plants.~~

Gidroliz. i lesokhim. prom. 10 no.3:10-11 '57.

(MLRA 10:5)

1. Ural'skiy lesotekhnicheskiy institut.  
(Wood waste) (Hydrolysis)

KRASNOSELOV, B.K.; KOZLOV, V.N.

Hydrolysis of lumbering wastes by means of diluted sulfuric  
acid. Sbor.rub.Lab.lesokhim. no.2:83-89 '58. (MIRA 12:8)  
(Hydrolysis)



GVOZDETSKIY, L.A., inzh.; GORBANENKO, A.D., kand.tekhn.nauk; KARPOV,  
V.V., inzh.; KRASNOSELOV, G.K., inzh.; TSIRUL'NIKOV, L.M., inzh.

Burning of Arlan petroleum with increased stabilization in boiler  
furnaces. Elek. sta. 33 no.10:22-25 0 '62. (MIRA 16:1)  
(Boilers) (Petroleum as fuel)

GORBANENKO, A.D., kand.tekhn.nauk; TSIRUL'NIKOV, L.M., inzh.; CHUPROV, V.V., inzh.;  
GVOZDETSKIY, L.A., inzh.; KRASNOSELOV, G.K., inzh.; MYAKOTINA, A.Z., inzh.

Burning of liquid fuels in combustion chamber. Teploenergetika 10  
no.4:44-49 Ap '63. (MIRA 16:3)

1. Vsesoyuznyy nauchno-issledovatel'skiy teploekhnicheskii institut  
i Bashkirenergo.  
(Boilers) (Furnaces)

GORBANENKO, A.D., kand. tekhn. nauk; TSIRUL'NIKOV, L.M., inzh.;  
KRASNOSELOV, G.K., inzh.; GELLER, Z.I., doktor tekhn. nauk;  
LIPINSKIY, F.A., inzh.

Effectiveness of burning mazut. Elek. stat. 35 no.1:66-71  
Ja '64. (MIRA 17:6)

1. Vsesoyuznyy nauchno-issledovatel'skiy teplotekhnicheskiy  
institut im Dzerzhinskogo (for Gorbanenko, TSirul'nikov).
2. Bashkirenergo (for Krasnoselov). 3. Groznenskiy neftyanoy  
institut (for Geller). 4. Novoufimskaya teploelektrotsentral'  
(for Lipinskiy).

KRASNOSELOV, G.K., inzh.; MYASNIKOV, V.K., inzh.

Stand measurements of the effectiveness of the introduction  
of magnesite into the flue gases of a boiler operating on  
high-sulfur mazut. Elek. sta. 35 no.3:13-15 Mr '64.  
(MIRA 17:6)

GORBANENKO, A.D., kand. tekhn. nauk; TSIRUL'NIKOV, L.M., inzh.;  
KRASNOSELOV, G.K., inzh.

Mechanically caused incomplete combustion of a liquid fuel in  
furnace combustion chambers. Elek. sta. 35 no.10:10-12 0'64.  
(MIRA 17:12)

S/137/62/000/003/031/191  
A006/A101

AUTHORS: Lyubimova, I. P., Pershukov, A. A., Krasnoselov, N. L.

TITLE: Dynamics of achieving projected indices of concentrating titanium-magnetite ores at the Kusinskiy concentration plant

PERIODICAL: Referativnyy zhurnal, Metallurgiya, no. 3, 1962, 9, abstract 3665  
("Sb. nauchn. tr. Magnitogorskiy gornometallurg. in-t", 1961, no. 24, 105 - 118)

TEXT: The Kusinskiy titanomagnetites represent polymetallic ore and contain Fe, Ti, V and Co. The basic ore minerals are the vanadium containing magnetite and ilmenite. Non-ore minerals forming 20 - 25% of the total ore mass are represented by chlorite, hornblende, actinolite, garnet, epidote. There are compact and disseminated ores. Magnetite is the most widespread ore-forming mineral. The authors describe dynamics of gradual improvement of indices in the operation of the Kusinskiy plant. The system of concentrating titanomagnetites includes dry magnetic separation at 25 - 0 mm ore crushing. Concentration is carried out on mg 8/9 drum separators. From ore, containing Fe 41.3% and Ti oxide 10%, concentrates are then obtained which contain 46.6% Fe and 12.6% Ti oxide at 93% Fe extraction. Wet mag-

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S/137/62/000/003/031/191  
A006/A101

Dynamics of achieving projected indices of...

netic separation is carried out during refining of the collective concentrate to 1.5 - 3% class + 40 mesh. Trommels for collecting the chips are mounted on the overflow of the mill and the rake classifier. Separation is conducted on 3-product C3 128 B (SE 128 B) band separators. Refining of industrial products is intended. Finished Fe-V concentrate and Ti-semiproduct are then obtained. Prior to ilmenite flotation desliming and condensation in hydrocyclones is carried out. For the purpose of obtaining low-sulfur ilmenite concentrate, pyrite flotation is provided for with the use of the following reagents: 200 g/t  $H_2SO_4$ ; 200 g/t xanthogenate and 40 g/t flotation oil. To reduce hardness of the water soda is added to the pulp. As a result of the thorough control of the reagent conditions and the supply point of the reagents during ilmenite flotation, the advantage of systems with counterflow of the foam over the previous direct-flow system was revealed. The extraction of  $TiO_2$  into the concentrate was raised from 89.5 to 95%. Instead of oleic acid, tall oil mixed with kerosene was used. Weakly acid solutions of  $H_2SO_4$  and  $Na_2SiF_6$  were used as depressors of ore minerals.

A. Shmeleva

[Abstracter's note: Complete translation]

Card 2/2

KOZLOV, M.S.; KRASNOSELOV, N.L.

Present state of the flotation method of concentrating titanium-  
magnetite ores in ore dressing plants. Titan i ego splavy no.8:  
3-7 '62. (MIRA 16:1)  
(Titanium ores) (Flotation)



5 (3)

AUTHORS: Nikolayev, A. F., Ushakov, S. N., SOV/62-59-9-17/40  
Krasnosel'skaya, I. G.

TITLE: Polymerization and Copolymerization of N-Vinyl Compounds.  
Communication 5. Polymerization of Vinyl Succinimide

PERIODICAL: Izvestiya Akademii nauk SSSR. Otdeleniye khimicheskikh nauk,  
1959, Nr 9, pp 1627 - 1630 (USSR)

ABSTRACT: The present article describes the polymerization of N-vinyl succinimide (VS), which has not been previously described, and the properties of the polymers obtained are investigated. VS was prepared by a method described by the authors in reference 1, by pyrolysis from  $\beta$ -acetoxyethyl succinimide. The polymerization of VS succeeded only by using peroxide initiators. The polymerization was carried out at 50, 65, and 85° with 0.2% benzoyl peroxide (BP) in solid state and in solution. Figure 1 illustrates the influence of the temperature and figure 2 the influence of the concentration of the initiator on the polymerization rate. At 50° a maximum yield (98%) was obtained during 6 hours. The yield decreased with increasing temperature, but the reaction rate increased. The complete consumption of the monomer ended the polymerization. The polymer obtained is colorless, trans-

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Polymerization and Copolymerization of N-Vinyl Compounds. SOV/62-59-9-17/40  
Communication 5. Polymerization of Vinyl Succinimide

parent, and becomes porous and opaque when larger quantities of BP are used. The polymerization of the solving agents (dichloroethane, benzene, methyl alcohol, and water) rapidly occurred at 85° even in diluted solving agents and the yield was good. (Table 3). As particular properties of the obtained polymers the following 2 have been established: limited solubility in organic solving agents and a low stability in water (Table 3). There are 3 figures, 4 tables, and 5 references, 3 of which are Soviet.

ASSOCIATION: Leningradskiy tekhnologicheskii institut im. Lensovet (Leningrad Institute of Technology imeni Lensovet)

SUBMITTED: January 8, 1958

Card 2/2

L 44583-66 EWT(m)/EWP(j)/T IJP(c) RM

ACC NR: AP6015672 (A) SOURCE CODE: UR/0413/66/000/009/0076/0076

33  
32

INVENTOR: Yerusalimskiy, B. L.; Krasnosel'skaya, I. G.

B

ORG: none

TITLE: Method for obtaining polychloroprene. Class 39, No. 181293  
[announced by Institute of Micromolecular Compounds AN SSSR (Institut  
vysokomolekulyarnykh soyedineniy AN SSSR)]

SOURCE: Izobreteniya, promyshlennyye obraztsy, tovarnyye znaki, no. 9,  
1966, 76

TOPIC TAGS: polychloroprene, chloroprene, polymerization, polymeriza-  
tion catalyst

ABSTRACT: An Author Certificate has been issued for a method of obtain-  
ing polychloroprene by polymerization of chloroprene in a medium of  
inert organic solvent at room temperature in the presence of an organo-  
metallic catalyst. To increase the polychloroprene yield, a complex of

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UDC: 678.763.2

L 44583-66

ACC NR: AP6015672

lithiumbutyl-lithiumiodide-dibutylmagnesium is used as the organo-  
metallic catalyst. / [Translation]

[NT]

SUB CODE: 11/ SUBM DATE: 06Feb65/

Card 2/2 *lym*

YERUSALIMSKIY B.I.; KRASNOSEL'SKAYA, I.G.; MAZUREK, V.V.

Polymerization of chloroprene in the presence of organometallic  
compounds. Part 1: System chloroprene - butyllithium. Vysokom.  
soed. 6 no.7:1294-1301 J1 '64 (MIRA 18:2)

1. Institut vysokomolekulyarnykh soyedineniy AN SSSR.

ACCESSION NR: AP4045430

S/0190/64/006/009/1637/1641

AUTHOR: Krasnosel'skaya, I.G., Yerusalimskiy, B.L.

TITLE: Polymerization of chloroprene under the influence of dibutyl magnesium and butylmagnesium iodide

SOURCE: Vy\*sokomolekulyarny\*ye soyedineniya, v. 6, no. 9, 1964, 1637-1641

TOPIC TAGS: chloroprene, dibutyl magnesium, butylmagnesium iodide, organomagnesium compound, chain termination, chain propagation, activation, initiator, polymerization catalyst, polychloroprene

ABSTRACT: The kinetics of polymerization of the system chloroprene-dibutyl magnesium-butylmagnesium iodide were investigated by carrying out the polymerization in heptane or a fraction of purified kerosene at a monomer concentration (M) of 2-8 mole/liter and an initiator concentration (C) of 0.01-0.08 mole/liter. Under the given conditions, the polymerization reached an almost constant rate in the initial state to slow down gradually later and to stop completely on disappearance of the polymer. At 40C, (M) = 6 and (C) = 0.08 mole/liter, the maximum yield was 55%. The plotted experimental data show that for the

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ACCESSION NR: AP4045430

Initial rate of polymerization, calculated from the conversion after the first 40 min., the order of reaction was 0.95 with respect to the initiator and 1.09 with respect to the monomer. After 0.25 min., the reaction mixture contained only 10% of the starting initiator, and in 0.5 min. it completely disappeared. The total content of organo-magnesium compounds after 0.25 min. was 92% of the initial. Then, the total concentration of organic magnesium compounds continued to decrease slowly. The decrease in the initiator concentration can be attributed to the parallel reactions of initiation and destruction. The rate constants of the elementary reactions and the activation energies of chain propagation and chain termination were determined and the data are plotted. For chain propagation, the constants were  $k_1 = 8.4$  and  $k_{3a} = 0.82 \text{ min}^{-1}$ ; for chain termination at 40, 50 and 60°C the constants were 0.0018, 0.0037 and  $0.0087 \text{ min}^{-1}$ , respectively. The activation energy of chain termination obtained from these values is  $17.9 \pm 0.5 \text{ kcal/mole}$ . The average viscosimetric molecular weight of polychloroprene calculated from the formula  $\mu = 1.55 \times 10^{-4} M^{0.71}$  (in benzene) increased continuously in the initial stage of the polymerization. This confirms the kinetic scheme according to which the chain propagation is a stepwise organometallic synthesis. The results indicate an anionic

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ACCESSION NR: AP4045430

mechanism for the reaction. The resulting polymers lose their solubility in benzene at a certain degree of conversion (during polymerization at 40C, at a polymer yield of about 40%). The microstructure of polychloroprene formed under the influence of organo-magnesium compounds practically coincides with the typical structure of polymers obtained by the radical polymerization of chloroprene. "The authors are greatly indebted to A. A. Korotkov for his useful comments. The microstructural data on the polymers were provided by Ye. I. Pokrovskiy and G.V. Lyubimova." Orig. art. has: 6 formulas, 5 figures and 1 table.

ASSOCIATION: Institut vy\*sokomolekulyarny\*kh soyedineniy AN SSSR (Institute of High-Molecular Compounds, AN SSSR)

SUBMITTED: 26Oct63

ENCL: 00

SUB CODE: OC

NO REF SOV: 004

OTHER: 002

Card 3/3



SHEYN, S.M.; KRASNOSEL'SKAYA, M.I.

Synthesis of 4-substituted 1,3-bis-(trifluoromethylsulfonyl)-benzenes. Zhur.VKHO 10 no.5:592 '65.

(MIRA 18:11)

1. Novosibirskiy institut organicheskoy khimii Sibirskogo otdeleniya AN SSSR, i Rubezhanskiy filial Nauchno-issledovatel'skogo instituta organicheskikh poluproduktov i krasiteley.

SHEYN, S.M.; KRASNOSEL'SKAYA, M.I.

Nucleophilic substitution in the aromatic series. Part 6: Mechanism of interaction of 2-chloro-1,4-bis(trifluoromethyl)benzene with alcoholates in alcohol medium. Zhur. ob. khim. 34 no.10:3385-3389  
O '64. (MIRA 17:11)

1. Nauchno-issledovatel'skiy institut organicheskikh poluproduktov i krasiteley, filial v g. Rubezhnoye.

YAGUPOL'SKIY, L.M.; SHEYN, S.M.; KRASNOSEL'SKAYA, M.I.; SOLODUSHENKOV, G.Y.

New method for the preparation of 2-amino-4-trifluoromethylbenzoic acid. Zhur. ob. khim. 35 no.7:1261-1263, 31 '65.

(MIRA 18:8)

AKHMEDZADE, D.A.; YASNOPOL'SKIY, V.D.; KERIMOVA, M.M.; KRASNOSEL'SKAYA,  
Ye.A.

Nitrosation of methylcyclohexane and cyclohexanecarboxylic  
acid. Zhur.prikl.khim. 37 no. 1:228-229 Jan '64. (MIRA 17:2)

USOVSKIY, B.N.; GEMINOVA, N.V.; KRASNOSEL'SKAYA, T.A.[deceased]; LEPESHIN-  
SKAYA, Ye.V., redaktor; TUMARKINA, N.A., tekhnicheskii redaktor

[English-Russian agricultural dictionary] Anglo-russkii sel'sko-  
khoziaistvennyi slovar'. Izd. 3-e, perer. Moskva, Gos. izd-vo  
tekhniko-teoret. lit-ry, 1956. 532 p. (MLRA 9:8)

(English language--Dictionaries--Russian)

(Agriculture--Dictionaries)

YASNOPOL'SKIY, V.D.; KRASNOSEL'SKAYA, Ye.A.

Reactions of aromatic diamines with urea and its thioderivatives.  
Vysokom. soed. 2 no. 3:441-443 Mr '60. (MIRA 13:11)

1. Institut neftekhimicheskikh protsessov AN AzerSSR.  
(Amines) (Urea)

HUTTMANN, A.,; RADULET, Fl.,; PASZTOR, P.,; TAFET, H.,; CIRSTOCEA, I.,;  
STEFANESCU, C.R.,; COJOCARU, L.,; KRASNOSELSKI, K.

Study of cervical disk hernia. Probl. reumat., Bucur. Vol. II.:  
137-150 1954

(INTERVERTEBRAL DISK DISPLACEMENT  
cervical)

BOGOMOLOVA, S.N.; VAYTKUNENE, L.I.; KRASNOSEL'SKIKH, A.A.; NIKIFOROVA,  
O.I.

Development of imagination in law students during the practical  
study of criminology. Vop.psikhol. no.6:117-123 N-D '62.  
(MIRA 16:2)

1. Moskovskiy gosudarstvennyy universitet.  
(Criminal investigation--Study and teaching)



KRASNOSEL'SKIKH, I.T., inzh.

Twenty fifth anniversary of the Ural Machinery Plant. Izobr. i  
rate. no. 7:30-33 J1 '58. (MIRA 11:9)  
(Ural Mountain region--Machinery industry)

KRASNOSEL'SKIKH, N.

Improve the record of students' production practice. Sots. trud.  
no.8:138-140 Ag '58. (MIRA 11:9)

1. Nachal'nik otdela tekhnicheskogo obucheniya Uralmashzavoda.  
(Student employment)

14(2), 18(3)

AUTHOR: Krasnosel'skikh, N., Engineer at  
Uralmash

SOV/29-58-11-13/28

TITLE: The Plant of Plants (Zavod zavodov)

PERIODICAL: Tekhnika molodezhi, 1958, Nr 11, pp 18 - 19 (USSR)

ABSTRACT: In this article the author describes the Uralmash plant. Uralmashzavod, which was inaugurated in 1933, is one of the principal suppliers of rolling equipment for numerous metallurgical enterprises. After the war the collective of the plant designed and built a number of bloomings "1150", with a capacity of 3 million tons per annum each. These bloomings do not only operate in the USSR, but were also supplied to Poland, the People's Republic of China, and India. Furthermore, two rail-structural mills, four thin sheet cold-rolling mills, seven tube rolling mills producing seamless tubes, and five tube cold-rolling mills etc. were built. The dredges are a special object of pride of Uralmash. In this year the biggest "striding" dredge is being built, with a shovel capacity of 23 cu.m. and boom of 100 m length.

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The Plant of Plants

SOV/29-58-11-13/28

It has been computed that dredges built at Uralsmashzavod have replaced about 1,5 million excavation workers. Up to 80 per cent of the ores used for iron and non-ferrous metals is worked with machines which bear the factory mark "UZTM". Almost 90 per cent of all oil wells were drilled with equipment produced by Uralsmash. About 75 per cent of all cast iron is melted in blast furnaces equipped by Uralsmash. Uralsmash is a production plant and a technological school at the same time. It houses the vecherniy fakul'tet Ural'skogo politekhnicheskogo instituta (Evening School of the Ural Polytechnical Institute), the Correspondence Course and Information Center of the above Institute, a Mechanical Engineering Institute with Evening and Correspondence Courses, an Information Center of the zaochnyy planovo-ekonomicheskii institut (Correspondence-Course Institute for Planning and Economy), and a Dom tekhnicheskogo obucheniya (Home for Technical Studies). In the course of 25 years more than 640 persons have graduated from these institutes and acquired the title of engineer, and over 800 persons have obtained technical

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. . . The Plant of Plants

SOV/29-58-11-13/28

diplomas. A few dozens of engineers wrote their  
dissertations there.

Card 3/3

KRASNOSEL'SKIKH, N.

A system of disseminating progressive practice used at the Ural Machinery Plant. Sots. trud 6 no. 12:119-123 D '61.

(MIRA 14:11)

1. Nachal'nik otдела tekhnicheskogo obucheniya "Uralsmazavoda".  
(Sverdlovsk--Machinery industry workers--Education and training)

KRASNOSEL'SKIKH, N.

Let's inculcate progressive experience into the masses. Prof.-tekh.  
obr. 18 no.6:31 Je '61. (MIRA 14:7)

1. Nachal'nik otдела tekhnicheskogo obucheniya Uralmashzavoda,  
Sverdlovsk.

(Evening and continuation schools)

GERKEN, I.V.; KRASNOSEL'SKIH, N.T., inzhener, redaktor; DUGINA, N.A.,  
tekhnicheskly redaktor.

[Utilization of gas generator waste tars] Ispol'zovanie otbrosnykh  
gazogeneratornykh smol. Moskva, Gos.nauchno-tekhn. izd-vo mashino-  
stroit. lit-ry, 1952. 19 p. [Microfilm] (MLRA 9:6)  
(Tar) (Gas manufacture and works--By-products)



KRASNOSEL'SKIKH, N.T.

Nauka i proizvodstvo  
(Science and industry). Moskva, Mashgiz, 1952.  
160 p.

SO: Monthly List of Russian Accessions, Vol. 6, No. 1, April 1953

GRABOVSKIY, L.K., inzh.; BASHILOV, G.N., inzh.; SOKOLOVSKIY, O.P., inzh.;  
KRASNOSEL'SKIKH, S.N., inzh.; ANTONOV, P.A.; BYKOV, V.A., inzh.;  
DANILOV, G.G., inzh.; GEL'FENBEYN, Ye.Yu., inzh.; PILIP, M.M.,  
inzh.; MAKAROV, B.V., inzh.; RAGINSKIY, D.M., inzh.

Equipment of a working line of hot rolling mills. Sbor. st.  
NIITIAZHMASHa Uralmashzavoda no.6:70-96 '65.

(MIRA 18:11)

L-19803-65 RPL/ASD(a)/ASD(m)-3/ RPL/ASD(a)/ASD(m)-3/  
APR 65 RM/11

ACCESSION NRI AP5005613

S/0190/64/006/007/1294/1301

AUTHOR: Yerusalimskiy, B. L.; Krasnosel'skaya, I. G.; Mazurek, V. V.

TITLE: Polymerization of chloroprene under the influence of organo-metallic compounds, I. The chloroprene-butyllithium system

SOURCE: Vysokomolekulyarnye soedineniya, v. 6, no. 7, 1964, 1294-1301

TOPIC TAGS: polymerization, macromolecular chemistry, organolithium compound, chlorinated organic compound, chemical reaction kinetics

Abstract: Data are cited on the polymerization of chloroprene under the influence of butyllithium; in spite of the low efficiency of the process, the authors note the value of an investigation of this reaction in the light of evaluating the orders of the absolute rate constants of elementary reactions. The polymerization of chloroprene in the presence of butyllithium in hydrocarbon medium was found to be characterized by a vital role of the termination reactions, deactivating the growing chains and preventing the achievement of high degrees of conversion. The kinetic data obtained indicated an anionic mechanism of the process. The study of the reaction kinetics and variation

Card 1/2

L 19803-65

ACCESSION NR: AP5003613

of the concentration of the organometallic compound during polymerization revealed that isomerization takes place in the growing chains, and there are two different chain growth reactions, for which the values of the individual constants were found. The steady increase in the molecular weight of the polymers during the polymerization process showed that it is of the type of consecutive organometallic synthesis. The basic elementary unit in the poly-chloroprene formed in this system was the trans-1,4-unit. Orig. art. has 20 forms, and 5 graphs.

ASSOCIATION: Institut vysokomolekulyarnykh soedineniy AN SSSR ( Institute of High-Molecular Compounds, AN SSSR)

SUBMITTED: 15Aug63

ENCL: 00

SUB CODE: 00, 00

NO REF SOV: 006

OTHER: 006

JPRS

Card 2/2

KRASNOSEL'SKIY, E.B.

Determination of the degree of danger of an avalanche in the  
high mountain regions of the central Tien Shan. Trudy GGO no.150:  
133-139 '64. (MIRA 17:7)

KRASNOSEL'SKIY, E.B. (g.Frunze)

Study of avalanches in the central Tien Shan. Meteor. i gidrol.  
no.9:49-51 S '62. (MIRA 15:8)  
(Tien Shan--Avalanches)

MAKSHOV, N.V.; KRASNODOL'SKIY, E.B.

Experience gained in the prevention of avalanches in high-  
mountain regions of Tien Shan, Trudy GEO no.160:148-151

1964.

(MIRA 17:9)

KRASNOSEL'SKIY, Gleb Iosifovich.

Academic degree of Doctor of Medical Sciences, based on his defense, 15 June 1954, in the Council of Voronezh State Medical Inst, of his dissertation entitled: "Utilizing Artificial Sources of Light in Sports Practice."

Academic degree and/or title: Doctor of Sciences

SO: Decisions of VAK, List no. 12, 28 May 55, Byulleten' MVO SSSR, No. 15, Aug 56, Moscow, pp. 5-24, Uncl. JPRS/NY-537



KRASNOSEL'SKIY, G.I., professor

~~Chinese breathing exercise. Zdorov'e 3 no.7:18-19 J1 '57. (MLRA 10:8)~~  
(RESPIRATION) (EXERCISE)

KRASNOSEL'SKIY, G.I.

TSYUY MYAN'-YU [Ch'u Mien-yu"]; KRASNOSEL'SKIY, G.I.

Chinese therapeutic exercise. Vop. kur., fizioter. i lech. fiz.  
kul't. 22 no.1:53-56 Ja-F '57 (MLRA 10:4)

1. Iz Pekinskogo meditsinskogo instituta, Kitay.  
(CHINA--EXERCISE THERAPY)

KRASNOSEL'SKIY, G.I., prof.; MURAVOV, I.V., kand.med.nauk

Critical evaluation of idealistic views on the "normal" physical  
development of man. Nek.filos.vop.med.i est. no.2:395-406 '60.  
(MIRA 15:7)

1. Kafedra fizicheskogo vospitaniya i lechebnoy fizicheskoy  
kul'tury Kiyevskogo meditsinskogo instituta.  
(MAN—CONSTITUTION) (GROWTH)

KRASNOSEL'SKIY, Gleb Iosifovich, prof.; NEYMAN, M.I., red.; BUL'DYAYEV,  
N.A., tekhn. red.

[Chinese health gymnastics for elderly persons] Kitaiskaia gi-  
gienicheskaia gimnastika dlia lits pozhilogo vozrasta. Izd.2.,  
ispr. i dop. Moskva, Gos. izd-vo med. lit-ry Medgiz, 1961. 28 p.  
(MIRA 14:7)

(CHINA—EXERCISE THERAPY)  
(AGED—CARE AND HYGIENE)

KRASNOSEL'SKIY, L.I., podpolkovnik meditsinskoy sluzhby

Some problems in supplying battle stations of ships with  
medical equipment. Voen.med.zhur. no.3:22-24 '59.

(NIRA 12:6)

(MEDICINE, MILITARY AND NAVAL

ship battle stations, med. equipment supply  
(Rus))

L 62856-65

ACCESSION NR: AP5019060

UR/0286/65/000/012/0670/0070

6241023/67 691-412-79

AUTHOR: Krasnoshchinskiy, I. M.; Zil'manov, T. T.; Kolesayev, A. V.; Krotovskiy, G. B.; Myasnikov, B. N.

TITLE: A construction unit. Class 37, No. 172028

SOURCE: Byulleten' izobreteniy i tovarnykh znakov, no. 12, 1965, 70

TOPIC TAGS: structural element; construction method

ABSTRACT: This Author's Certificate introduces a completely prefabricated construction unit with finished retaining walls and partitions, a ceiling and a floor. The device is designed for multiple-point support and frame construction. Receptacles are located along the retaining plates of the structure. In the process of joining the units together, these receptacles are filled with a bonding solution and U-shaped anchors are forced into them.

ASSOCIATION: none

Card 1/3

1. 62856-05

ACCESSION-NR: AP5019000

SUBMITTED: 21 May 82

ENCL: 01

SUB CODE:

NO REF SOV: 000

OTHER: 000

Card 2/3

DI 62856-05

ACCESSION NUMBER: AP4019040

ENCLOSURE: 101

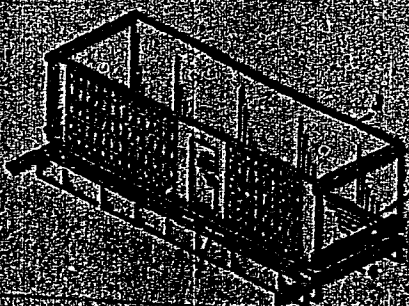


Fig. 1. 1--floor;  
2--retaining walls;  
3--receptacles; 4--anchors.

Card 3/3



KRASNOSELSKY, M. A.

Krasnoselsky, M. A. Some theorems on a domain and  
on a set of the plane. Soviet Math. 19(6): 1071-1072, 1976 (Russian) (English summary)

If  $E$  is a set of the plane, whose boundary  $\partial E$  is  
locally connected, then  $E$  is said to be accessible by  
the boundary  $\partial E$  if the segment  $[E, \partial E]$  is  
always contained in  $E$ . It is proved that if every set of  
the boundary  $\partial E$  is accessible by the segment from some point  
of the boundary  $\partial E$ , then  $E$  is accessible by the boundary  $\partial E$ .  
The proof, which is carried out by the method of generalization to  
arbitrary domains, does not use auxiliary constructions  
and theorems. (English summary) Dokl. Akad. Nauk SSSR, 240:1071-1072, 1979 (Russian) (English summary)

Source: Mathematical Review

Vol. 10

Smith, J. G. and Skarsnæs, J. H. A. (unpublished) theories on the extension of Heron's conjecture and certain of their applications to the theory of modular polynomials and the problem of moments of elliptic curves. *Norsk. N.S.* 2, no. 4 (19), 60-106 (1947).

(Russian)

Some useful notions are introduced. By the "deformation" of a set of two linear varieties in  $S$  into a projective space  $S$  a deformation of the number  $\mu$  is understood.

$\mu(2, 2) = 1$ ,  $\mu(2, 3) = 1$ ,  $\mu(3, 3) = 1$ ,  $\mu(2, 4) = 1$ ,  $\mu(3, 4) = 1$ ,  $\mu(4, 4) = 1$ ,  $\mu(2, 5) = 1$ ,  $\mu(3, 5) = 1$ ,  $\mu(4, 5) = 1$ ,  $\mu(5, 5) = 1$ ,  $\mu(2, 6) = 1$ ,  $\mu(3, 6) = 1$ ,  $\mu(4, 6) = 1$ ,  $\mu(5, 6) = 1$ ,  $\mu(6, 6) = 1$ ,  $\mu(2, 7) = 1$ ,  $\mu(3, 7) = 1$ ,  $\mu(4, 7) = 1$ ,  $\mu(5, 7) = 1$ ,  $\mu(6, 7) = 1$ ,  $\mu(7, 7) = 1$ ,  $\mu(2, 8) = 1$ ,  $\mu(3, 8) = 1$ ,  $\mu(4, 8) = 1$ ,  $\mu(5, 8) = 1$ ,  $\mu(6, 8) = 1$ ,  $\mu(7, 8) = 1$ ,  $\mu(8, 8) = 1$ ,  $\mu(2, 9) = 1$ ,  $\mu(3, 9) = 1$ ,  $\mu(4, 9) = 1$ ,  $\mu(5, 9) = 1$ ,  $\mu(6, 9) = 1$ ,  $\mu(7, 9) = 1$ ,  $\mu(8, 9) = 1$ ,  $\mu(9, 9) = 1$ ,  $\mu(2, 10) = 1$ ,  $\mu(3, 10) = 1$ ,  $\mu(4, 10) = 1$ ,  $\mu(5, 10) = 1$ ,  $\mu(6, 10) = 1$ ,  $\mu(7, 10) = 1$ ,  $\mu(8, 10) = 1$ ,  $\mu(9, 10) = 1$ ,  $\mu(10, 10) = 1$ ,  $\mu(2, 11) = 1$ ,  $\mu(3, 11) = 1$ ,  $\mu(4, 11) = 1$ ,  $\mu(5, 11) = 1$ ,  $\mu(6, 11) = 1$ ,  $\mu(7, 11) = 1$ ,  $\mu(8, 11) = 1$ ,  $\mu(9, 11) = 1$ ,  $\mu(10, 11) = 1$ ,  $\mu(11, 11) = 1$ ,  $\mu(2, 12) = 1$ ,  $\mu(3, 12) = 1$ ,  $\mu(4, 12) = 1$ ,  $\mu(5, 12) = 1$ ,  $\mu(6, 12) = 1$ ,  $\mu(7, 12) = 1$ ,  $\mu(8, 12) = 1$ ,  $\mu(9, 12) = 1$ ,  $\mu(10, 12) = 1$ ,  $\mu(11, 12) = 1$ ,  $\mu(12, 12) = 1$ ,  $\mu(2, 13) = 1$ ,  $\mu(3, 13) = 1$ ,  $\mu(4, 13) = 1$ ,  $\mu(5, 13) = 1$ ,  $\mu(6, 13) = 1$ ,  $\mu(7, 13) = 1$ ,  $\mu(8, 13) = 1$ ,  $\mu(9, 13) = 1$ ,  $\mu(10, 13) = 1$ ,  $\mu(11, 13) = 1$ ,  $\mu(12, 13) = 1$ ,  $\mu(13, 13) = 1$ ,  $\mu(2, 14) = 1$ ,  $\mu(3, 14) = 1$ ,  $\mu(4, 14) = 1$ ,  $\mu(5, 14) = 1$ ,  $\mu(6, 14) = 1$ ,  $\mu(7, 14) = 1$ ,  $\mu(8, 14) = 1$ ,  $\mu(9, 14) = 1$ ,  $\mu(10, 14) = 1$ ,  $\mu(11, 14) = 1$ ,  $\mu(12, 14) = 1$ ,  $\mu(13, 14) = 1$ ,  $\mu(14, 14) = 1$ ,  $\mu(2, 15) = 1$ ,  $\mu(3, 15) = 1$ ,  $\mu(4, 15) = 1$ ,  $\mu(5, 15) = 1$ ,  $\mu(6, 15) = 1$ ,  $\mu(7, 15) = 1$ ,  $\mu(8, 15) = 1$ ,  $\mu(9, 15) = 1$ ,  $\mu(10, 15) = 1$ ,  $\mu(11, 15) = 1$ ,  $\mu(12, 15) = 1$ ,  $\mu(13, 15) = 1$ ,  $\mu(14, 15) = 1$ ,  $\mu(15, 15) = 1$ ,  $\mu(2, 16) = 1$ ,  $\mu(3, 16) = 1$ ,  $\mu(4, 16) = 1$ ,  $\mu(5, 16) = 1$ ,  $\mu(6, 16) = 1$ ,  $\mu(7, 16) = 1$ ,  $\mu(8, 16) = 1$ ,  $\mu(9, 16) = 1$ ,  $\mu(10, 16) = 1$ ,  $\mu(11, 16) = 1$ ,  $\mu(12, 16) = 1$ ,  $\mu(13, 16) = 1$ ,  $\mu(14, 16) = 1$ ,  $\mu(15, 16) = 1$ ,  $\mu(16, 16) = 1$ ,  $\mu(2, 17) = 1$ ,  $\mu(3, 17) = 1$ ,  $\mu(4, 17) = 1$ ,  $\mu(5, 17) = 1$ ,  $\mu(6, 17) = 1$ ,  $\mu(7, 17) = 1$ ,  $\mu(8, 17) = 1$ ,  $\mu(9, 17) = 1$ ,  $\mu(10, 17) = 1$ ,  $\mu(11, 17) = 1$ ,  $\mu(12, 17) = 1$ ,  $\mu(13, 17) = 1$ ,  $\mu(14, 17) = 1$ ,  $\mu(15, 17) = 1$ ,  $\mu(16, 17) = 1$ ,  $\mu(17, 17) = 1$ ,  $\mu(2, 18) = 1$ ,  $\mu(3, 18) = 1$ ,  $\mu(4, 18) = 1$ ,  $\mu(5, 18) = 1$ ,  $\mu(6, 18) = 1$ ,  $\mu(7, 18) = 1$ ,  $\mu(8, 18) = 1$ ,  $\mu(9, 18) = 1$ ,  $\mu(10, 18) = 1$ ,  $\mu(11, 18) = 1$ ,  $\mu(12, 18) = 1$ ,  $\mu(13, 18) = 1$ ,  $\mu(14, 18) = 1$ ,  $\mu(15, 18) = 1$ ,  $\mu(16, 18) = 1$ ,  $\mu(17, 18) = 1$ ,  $\mu(18, 18) = 1$ ,  $\mu(2, 19) = 1$ ,  $\mu(3, 19) = 1$ ,  $\mu(4, 19) = 1$ ,  $\mu(5, 19) = 1$ ,  $\mu(6, 19) = 1$ ,  $\mu(7, 19) = 1$ ,  $\mu(8, 19) = 1$ ,  $\mu(9, 19) = 1$ ,  $\mu(10, 19) = 1$ ,  $\mu(11, 19) = 1$ ,  $\mu(12, 19) = 1$ ,  $\mu(13, 19) = 1$ ,  $\mu(14, 19) = 1$ ,  $\mu(15, 19) = 1$ ,  $\mu(16, 19) = 1$ ,  $\mu(17, 19) = 1$ ,  $\mu(18, 19) = 1$ ,  $\mu(19, 19) = 1$ ,  $\mu(2, 20) = 1$ ,  $\mu(3, 20) = 1$ ,  $\mu(4, 20) = 1$ ,  $\mu(5, 20) = 1$ ,  $\mu(6, 20) = 1$ ,  $\mu(7, 20) = 1$ ,  $\mu(8, 20) = 1$ ,  $\mu(9, 20) = 1$ ,  $\mu(10, 20) = 1$ ,  $\mu(11, 20) = 1$ ,  $\mu(12, 20) = 1$ ,  $\mu(13, 20) = 1$ ,  $\mu(14, 20) = 1$ ,  $\mu(15, 20) = 1$ ,  $\mu(16, 20) = 1$ ,  $\mu(17, 20) = 1$ ,  $\mu(18, 20) = 1$ ,  $\mu(19, 20) = 1$ ,  $\mu(20, 20) = 1$ ,  $\mu(2, 21) = 1$ ,  $\mu(3, 21) = 1$ ,  $\mu(4, 21) = 1$ ,  $\mu(5, 21) = 1$ ,  $\mu(6, 21) = 1$ ,  $\mu(7, 21) = 1$ ,  $\mu(8, 21) = 1$ ,  $\mu(9, 21) = 1$ ,  $\mu(10, 21) = 1$ ,  $\mu(11, 21) = 1$ ,  $\mu(12, 21) = 1$ ,  $\mu(13, 21) = 1$ ,  $\mu(14, 21) = 1$ ,  $\mu(15, 21) = 1$ ,  $\mu(16, 21) = 1$ ,  $\mu(17, 21) = 1$ ,  $\mu(18, 21) = 1$ ,  $\mu(19, 21) = 1$ ,  $\mu(20, 21) = 1$ ,  $\mu(21, 21) = 1$ ,  $\mu(2, 22) = 1$ ,  $\mu(3, 22) = 1$ ,  $\mu(4, 22) = 1$ ,  $\mu(5, 22) = 1$ ,  $\mu(6, 22) = 1$ ,  $\mu(7, 22) = 1$ ,  $\mu(8, 22) = 1$ ,  $\mu(9, 22) = 1$ ,  $\mu(10, 22) = 1$ ,  $\mu(11, 22) = 1$ ,  $\mu(12, 22) = 1$ ,  $\mu(13, 22) = 1$ ,  $\mu(14, 22) = 1$ ,  $\mu(15, 22) = 1$ ,  $\mu(16, 22) = 1$ ,  $\mu(17, 22) = 1$ ,  $\mu(18, 22) = 1$ ,  $\mu(19, 22) = 1$ ,  $\mu(20, 22) =$

indices  $\lambda$  are 0 or 1. The sum  $\sum_{\lambda \in \Lambda} |D(\lambda)|$  (over ranges of  $\lambda$ ) diverges at the same time in all points  $x$  of a component  $J$  of the complement of  $M$ . Relations between the deficiency index of  $A$  in  $J'$  and  $\alpha(x, J')$  (depending on  $J'$ ) are studied. If the equality  $1/\alpha(x, J) = 1/\alpha(x, J')$  holds for all  $J \in \Lambda$  it implies  $\alpha(x) = 0$  for all complex points  $x$  of the additive group  $G$  defined on  $\Lambda$ . For a subset of  $M$  the set  $X$  is said to satisfy the (G) condition. This case is studied and applied to the classical Hamburger moment problem, to  $\mathcal{H}_\infty$ - $\mathcal{H}_2$  factorization, to the proof of the known existence theorem. D. Sarason is the author of the last two papers. D. Sarason is the author of the last two papers.

1985m:41016 41A05 41A10 41A25 41A30 41A45 41A55 41A65 41A75 41A85 41A95 41B05 41B10 41B20 41B25 41B30 41B35 41B40 41B45 41B50 41B55 41B60 41B65 41B70 41B75 41B80 41B85 41B90 41B95 41C05 41C10 41C15 41C20 41C25 41C30 41C35 41C40 41C45 41C50 41C55 41C60 41C65 41C70 41C75 41C80 41C85 41C90 41C95 41D05 41D10 41D15 41D20 41D25 41D30 41D35 41D40 41D45 41D50 41D55 41D60 41D65 41D70 41D75 41D80 41D85 41D90 41D95 41E05 41E10 41E15 41E20 41E25 41E30 41E35 41E40 41E45 41E50 41E55 41E60 41E65 41E70 41E75 41E80 41E85 41E90 41E95 41F05 41F10 41F15 41F20 41F25 41F30 41F35 41F40 41F45 41F50 41F55 41F60 41F65 41F70 41F75 41F80 41F85 41F90 41F95 41G05 41G10 41G15 41G20 41G25 41G30 41G35 41G40 41G45 41G50 41G55 41G60 41G65 41G70 41G75 41G80 41G85 41G90 41G95 41H05 41H10 41H15 41H20 41H25 41H30 41H35 41H40 41H45 41H50 41H55 41H60 41H65 41H70 41H75 41H80 41H85 41H90 41H95 41I05 41I10 41I15 41I20 41I25 41I30 41I35 41I40 41I45 41I50 41I55 41I60 41I65 41I70 41I75 41I80 41I85 41I90 41I95 41J05 41J10 41J15 41J20 41J25 41J30 41J35 41J40 41J45 41J50 41J55 41J60 41J65 41J70 41J75 41J80 41J85 41J90 41J95 41K05 41K10 41K15 41K20 41K25 41K30 41K35 41K40 41K45 41K50 41K55 41K60 41K65 41K70 41K75 41K80 41K85 41K90 41K95 41L05 41L10 41L15 41L20 41L25 41L30 41L35 41L40 41L45 41L50 41L55 41L60 41L65 41L70 41L75 41L80 41L85 41L90 41L95 41M05 41M10 41M15 41M20 41M25 41M30 41M35 41M40 41M45 41M50 41M55 41M60 41M65 41M70 41M75 41M80 41M85 41M90 41M95 41N05 41N10 41N15 41N20 41N25 41N30 41N35 41N40 41N45 41N50 41N55 41N60 41N65 41N70 41N75 41N80 41N85 41N90 41N95 41O05 41O10 41O15 41O20 41O25 41O30 41O35 41O40 41O45 41O50 41O55 41O60 41O65 41O70 41O75 41O80 41O85 41O90 41O95 41P05 41P10 41P15 41P20 41P25 41P30 41P35 41P40 41P45 41P50 41P55 41P60 41P65 41P70 41P75 41P80 41P85 41P90 41P95 41Q05 41Q10 41Q15 41Q20 41Q25 41Q30 41Q35 41Q40 41Q45 41Q50 41Q55 41Q60 41Q65 41Q70 41Q75 41Q80 41Q85 41Q90 41Q95 41R05 41R10 41R15 41R20 41R25 41R30 41R35 41R40 41R45 41R50 41R55 41R60 41R65 41R70 41R75 41R80 41R85 41R90 41R95 41S05 41S10 41S15 41S20 41S25 41S30 41S35 41S40 41S45 41S50 41S55 41S60 41S65 41S70 41S75 41S80 41S85 41S90 41S95 41T05 41T10 41T15 41T20 41T25 41T30 41T35 41T40 41T45 41T50 41T55 41T60 41T65 41T70 41T75 41T80 41T85 41T90 41T95 41U05 41U10 41U15 41U20 41U25 41U30 41U35 41U40 41U45 41U50 41U55 41U60 41U65 41U70 41U75 41U80 41U85 41U90 41U95 41V05 41V10 41V15 41V20 41V25 41V30 41V35 41V40 41V45 41V50 41V55 41V60 41V65 41V70 41V75 41V80 41V85 41V90 41V95 41W05 41W10 41W15 41W20 41W25 41W30 41W35 41W40 41W45 41W50 41W55 41W60 41W65 41W70 41W75 41W80 41W85 41W90 41W95 41X05 41X10 41X15 41X20 41X25 41X30 41X35 41X40 41X45 41X50 41X55 41X60 41X65 41X70 41X75 41X80 41X85 41X90 41X95 41Y05 41Y10 41Y15 41Y20 41Y25 41Y30 41Y35 41Y40 41Y45 41Y50 41Y55 41Y60 41Y65 41Y70 41Y75 41Y80 41Y85 41Y90 41Y95 41Z05 41Z10 41Z15 41Z20 41Z25 41Z30 41Z35 41Z40 41Z45 41Z50 41Z55 41Z60 41Z65 41Z70 41Z75 41Z80 41Z85 41Z90 41Z95

1985m:41017 41A05 41A10 41A25 41A30 41A45 41A55 41A65 41A75 41A85 41A95 41B05 41B10 41B20 41B25 41B30 41B35 41B40 41B45 41B50 41B55 41B60 41B65 41B70 41B75 41B80 41B85 41B90 41B95 41C05 41C10 41C15 41C20 41C25 41C30 41C35 41C40 41C45 41C50 41C55 41C60 41C65 41C70 41C75 41C80 41C85 41C90 41C95 41D05 41D10 41D15 41D20 41D25 41D30 41D35 41D40 41D45 41D50 41D55 41D60 41D65 41D70 41D75 41D80 41D85 41D90 41D95 41E05 41E10 41E15 41E20 41E25 41E30 41E35 41E40 41E45 41E50 41E55 41E60 41E65 41E70 41E75 41E80 41E85 41E90 41E95 41F05 41F10 41F15 41F20 41F25 41F30 41F35 41F40 41F45 41F50 41F55 41F60 41F65 41F70 41F75 41F80 41F85 41F90 41F95 41G05 41G10 41G15 41G20 41G25 41G30 41G35 41G40 41G45 41G50 41G55 41G60 41G65 41G70 41G75 41G80 41G85 41G90 41G95 41H05 41H10 41H15 41H20 41H25 41H30 41H35 41H40 41H45 41H50 41H55 41H60 41H65 41H70 41H75 41H80 41H85 41H90 41

KRASNOSEL'SKIY, M. A.

PA 58T53

USSR/Mathematics - Operational Theory

May 1947

"On Defective Numbers of Closed Operators," M. A. Krasnosel'skiy, 2 pp

"Dok Akad Nauk SSSR, Nova Ser" Vol LVI, No 6

Two theorems are proved: For all  $\lambda \in G$  of subspace  $N_\lambda$  there exists an identical dimension. Let  $A$  be a closed operator and  $G$  a region of a complex surface, which region consists of points regular for  $A$ ; then dimensions of supplements  $N$  orthogonal to  $L_\lambda$  in  $H$  are identical for all  $\lambda \in G$ . Submitted by Academician A. N. Kolmogorov.

58T53

KRASNOSELSKY, N. S.

Krasnosel'skiĭ, N. S. and Vainikko, G. On the theory of a general dynamical system. *Dokl. Akad. Nauk SSSR* (N.S.) 50, 1-11 (1947).

G. D. Birkhoff, *Lectures on Dynamical Systems*, Appleton, 505 Third Avenue, New York, N.Y., 1927. It is shown that for an ordinary dynamical system (or a continuous transformation group) the relative motion of an arbitrary point of the phase space in a neighborhood of a fixed point. The present paper extends this result to a more general transformation group.

Let  $G$  be a connected finite or infinite multiplicative topological group with identity  $e$ , and let  $M$  be a space which is not compact. Let  $M$  be a continuous group, and let  $G$  act as a transformation group on  $M$  such that for any  $g \in G$  and  $x \in M$  there is a unique  $y \in M$  such that (1)  $g(x) = y$ , (2)  $g(e) = e$ , (3)  $g(g(x)) = g^2(x)$ , (4) the function  $f(g) = g(x)$  is continuous in  $g$ . A point  $x \in M$  is said to be nonwandering provided that to each neighborhood  $U$  of  $x$  there is a compact set  $K \subset U$  such that there corresponds  $g \in G$  such that  $g(K) \cap U \neq \emptyset$ . Let  $W$  be the set of nonwandering points of  $G$ . The main theorem states that if  $V$  is a neighborhood of  $e$  in  $G$  such that there exists a compact set  $K \subset M$  such that  $V(K) \cap K \neq \emptyset$  and  $V(K) \cap K \neq \emptyset$ , then  $W$  is a neighborhood of  $e$  in  $G$ .

(5)  $V$ . Let  $\alpha$  be a right invariant flow defined in  $M$ . It is pointed out that if  $V$  is an open neighborhood of  $e$  then  $\alpha(V) \cap V \neq \emptyset$  is bounded uniformly for all  $V \in G$ . Birkhoff, loc. cit. p. 191. Define a transitive motion  $M \rightarrow M$  by  $M \rightarrow M$  as a continuous motion invariant in  $M$  follows.  $M$  is the set of nonwandering points relative to the space  $M$ .  $M \rightarrow M$  is a continuous motion. The smallest set  $W$  in the space  $M$  is called the center. The following theorem is proved: If  $V$  is an open neighborhood in  $M$  of the center  $W$  and if  $V$  is an open neighborhood of  $e$  in  $G$  such that  $V$  is compact then  $W \cap V \neq \emptyset$  uniformly for all  $V \in G$ .

W. D. Curtis (Pittsburgh, Pa.)

Source: *Mathematical Reviews*, 1948, Vol. 9, No. 5

KREYN, M.G.; KRASNOSEL'SKIY, M.A.; MIL'MAN, D.P.

Defective numbers of linear operators in Banach space and certain  
geometrical problems. Zbir.prats' Inst.mat.AN URSR no.11:97-112  
'48. (MLRA 9:9)

(Operators (Mathematics)) (Topology)

KRASNOSELSKIY, M.A.

Krasnosel'skiy, M. A. On the extension of Hermitian operators with a semiminimal domain of definition. *Dokl. Akad. Nauk SSSR* (1965), 27, 1-3 (1966) (Russian).  
 A Hermitian operator  $A$  in a Hilbert space  $H$  is called semiminimal if it has an Hermitian extension  $\tilde{A}$  to which  $DA \subseteq D\tilde{A}$  and  $\tilde{A}$  is the orthogonal complement of  $DA$  in  $H$ . The author proves that if  $A$  is a closed operator  $V$  on  $H$  and  $V^*$  is its adjoint operator, then  $DA \subseteq D(V \oplus V^*)$  and  $V \oplus V^*$  is a self-adjoint extension of  $A$ . Then the author defines the dimension of the orthogonal complement in  $H$  of  $DA$  in terms of these operators and defines the author space (without proof) the following results: (1) if  $A$  is closed and has equal defect indices and if  $\tilde{A}$  is a self-adjoint extension of  $A$ , then  $A(\tilde{A} - A)^{-1} = A(\tilde{A} - A)^{-1} = A(\tilde{A} - A)^{-1}$  where  $\tilde{A}$  is an isometry mapping  $H$  on  $H$  such that  $U(V \oplus V^*)$  for every  $V$  in  $H$ . (2) If  $A$  is closed, then a necessary and sufficient condition that  $A$  have a semiminimal extension is that  $V$  be closed. (3) If  $A$  and  $V$  are both closed then a necessary and sufficient condition that  $A$  be semiminimal is that it have equal semi-defect indices. (4) If  $A$  is closed and  $\tilde{A}$  is a self-adjoint extension of  $DA$ , then  $A$  has a closed Hermitian extension  $\tilde{A}$  for which  $DA \subseteq D\tilde{A}$ .  
 P. H. Holmes (Chicago, Ill.)

Source: Mathematical Reviews

Vol.

No. 11



KRASNOSELSKY, N. P.

Krasnosel'skiy, N. P. On the solvability of the problem of the extension of a linear operator. *Dokl. Akad. Nauk SSSR* (1947) (Russian).

This paper provides a proof, which has already been reviewed [same *Zurnal* 7, no. 2, 1948 (1950), 116-117, 14, 47] and makes use of the method of the "approximate" and the author [I. P. Novik, *Matematicheskie doklady* 10, 106 (1947), these *Rev.* 10, 1948 (1950), 106-107] for the case when the domain of the operator is not dense in the space  $E$ . The author shows that the "approximate" and "approximate" of an operator are constant on the compact set of regular points and are constant in other parts of the domain of the operator. The operator  $U$  is defined on the domain of  $A$ , and  $U$  is defined on the domain of  $A$  as an extension of  $U$  in a certain sense. The author shows that the null solution of the problem of the extension of  $A$  corresponds to allowable extensions of  $U$  and the extensions which coincide with  $U$  for all  $x$  in  $E$  are saved. For  $A$  to have a well-defined extension is necessary and sufficient that the set of values of  $A$  is a closed set. A sufficient extension  $A$  is then of the form

$$A(x) = U(x) + A(x) - U(x)$$

with  $U(x)$  with and  $U(x)$  with and  $U(x)$  with. The author shows that  $U(x) = U(x) + U(x) - U(x)$  for all  $x$  in  $E$ . The author shows that a maximal extension for any hermitian operator  $A$  is proved, and it is shown that a sufficient condition for  $A$  to be a direct sum of  $A$  and  $A$  with the dimension of  $A$  at least as great as the dimension of  $A$ .

J. J. H. van der (1948)

Source: *Mathematical Reviews*.

(1) 15 No. 10





1. KRASNOSEL'SHIY, M. A.
2. USSR 600
4. Operator, Hermitian
7. Hermitian operators excluding completeness, Sbor. trud. Inst. mat. AN USSR, No. 12, 1949.

9. Monthly List of Russian Accessions, Library of Congress, April 1953, Uncl.

KRASNOSELSKY, M. A.

Krasnosel'skiy, M. A. On certain types of extensions of Hermitian operators. (Ukrain. Math. Zhurnal 2, no. 74-83 (1950). (Russian).

In this article an operator  $A$  in a Hilbert space  $\mathcal{H}$  is called hermitian if  $(A\xi, \eta) = (\xi, A\eta)$  for all  $\xi$  and  $\eta$  in its domain  $\mathcal{D}(A)$ , irrespective of whether its domain is dense in  $\mathcal{H}$ . An extension  $\tilde{A}$  of  $A$  is called condensing if  $\tilde{A}$  is hermitian and  $\mathcal{D}(A) \subset \mathcal{D}(\tilde{A})$ . If  $\tilde{A}$  has no condensing extension it is called semi-maximal. The article gives criteria for the existence of condensing extensions. For  $\lambda \neq 0$ , the following linear sets are defined in the range of  $(A - \lambda I)$ :  $\mathcal{R}_\lambda = \mathcal{R} \ominus \mathcal{N}_\lambda$ , the  $\lambda$ -deficiency subspace of  $A$ ;  $\mathcal{N}_\lambda$ , the orthogonal projection into  $\mathcal{R}_\lambda$  of  $\mathcal{H} \ominus \mathcal{D}(A)$  and  $\mathcal{N}_\lambda \ominus \mathcal{R}_\lambda$ , called the  $\lambda$ -semi-deficiency subspace of  $A$ . The dimension of  $\mathcal{N}_\lambda$  is called the  $\lambda$ -semi-deficiency of  $A$ . The following isometric operators are defined: the Nagy-Cayley transform  $U_\lambda = (A - \lambda I)(A - \lambda I)^{-1}$  and  $V_\lambda$  defined in  $\mathcal{R}_\lambda$  by  $V_\lambda P_\lambda \xi = P_\lambda \xi$  for all  $\xi$  in  $\mathcal{R}_\lambda$ , where  $P_\lambda$  denotes the projector onto  $\mathcal{R}_\lambda$ .

The first main theorem, extending a well known theorem on extensions of hermitian operators [1], (see Neumann, Math. Ann. 102, 49-51 (1929)), states that any condensing extension of a closed hermitian operator  $A$  is defined for a domain of elements of the form  $\{ \xi \in \mathcal{H} : \xi = P_\lambda \xi, \lambda \in \mathbb{C} \setminus \{0\} \}$ .

It is a linear set such that the set  $\mathcal{D}(\tilde{A})$  and  $\mathcal{D}$  is a hermitian operator with domain  $\mathcal{D} \cup \mathcal{D}(\tilde{A})$  and range in  $\mathcal{H}$ . A closed hermitian operator  $A$  is semi-maximal if and only if the isometric operator  $U_\lambda \oplus V_\lambda$  (the direct sum of the operators  $U_\lambda$  and  $V_\lambda$ ) has all  $\mathcal{H}$  either as domain or as range, equivalently, if and only if  $V_\lambda$  is closed and one of the semi-deficiency indices of  $A$  (whose values as functions of  $\lambda$  are constant over each of the upper and lower half planes) is zero, or again, if and only if, for some nonreal  $\lambda$ ,  $\mathcal{N}_\lambda = \mathcal{R}_\lambda$ .

It is shown that a closed hermitian operator has a closed semi-maximal condensing extension if and only if  $V_\lambda$  is closed. An example demonstrates that even if  $A$  and  $V_\lambda$  are closed,  $A$  may have a closed condensing extension  $\tilde{A}$  for which  $V_\lambda$  is not closed. If the space  $\mathcal{H}$  is imbedded in a extended space without altering the domain or values of  $A$ , the semi-deficiency indices and closure or nonclosure of  $V_\lambda$  are unaltered, hence so are the possibilities of condensing extensions. Following M. A. Naimark [Nekrasova Akad. Nauk SSSR, Ser. Mat. 4, 53-104 (1940), Zhurav. 2, 104] and extension  $\tilde{A}$  of  $A$  defined in an extended space is called of second species if  $\mathcal{D}(\tilde{A}) = \mathcal{H} \cup \mathcal{D}(A)$ . The results of the present article are used to prove the theorem that every closed hermitian operator has a self-adjoint extension of second type, and other results proved by Naimark for operators with dense domains [2].

**Criteria of continuity of strong tangential mappings.** *Dokl. Akad. Nauk SSSR*, 1980, Vol. 246, no. 7, pp. 13-15; English transl. in *Soviet Math. Dokl.*

[illegible]

## Dr. Conrad Layette, MD

Source: Mathematics Teacher.

Vol. 13 No. 10

KRASNOSELSKIY, M. A.

About a fixed-point principle for continuous operators in functionary spaces, by M. A. KRASNOSELSKIY . Doklady Akad. Nauk SSSR, n. Ser. 73, 13-15 (1950).

KRASNOSELSKIY, M. A.

**Approximate solution of nonlinear equations**  
(N.S. 76-114-1174 (1970) (Russian))

Let  $H$  be a linear space of infinite-dimensional vector spaces whose inner product is defined by  $(x, y) = (Ax, y)$ , where  $A$  is a linear operator in  $H$  and  $(x, y)$  is the scalar product in  $H$ . Let  $P_n$  be the projection of  $H$  onto the subspace  $P_n$  of dimension  $n$ . Let  $u_n$  be the solution of the equation  $u_n = P_n f(u_n)$  and let  $u$  be the solution of the equation  $u = f(u)$ . The solutions  $u_n$  are called the approximate solutions of the equation  $u = f(u)$ . The following theorem is proved without proof. If  $A$  is a completely continuous linear operator in  $H$  and if the equation  $u = f(u)$  has a solution  $u$  in some sphere of  $H$ , then the approximate solutions  $u_n$  converge to  $u$  in  $H$  as  $n \rightarrow \infty$ . If the operator  $A$  has a finite point spectrum, then the approximate solutions  $u_n$  converge to  $u$  in  $H$  as  $n \rightarrow \infty$ . If the operator  $A$  has a finite point spectrum, then the approximate solutions  $u_n$  converge to  $u$  in  $H$  as  $n \rightarrow \infty$ . The "Pontryagin series" (1958) and (1959) are cited.

Source: *Mathematical Review*

Vol. 12, No. 3

*Math. Anal. Appl. 55K*

Let  $H$  be a real Hilbert space and  $A$  is a completely continuous linear operator which has the simple characteristic value  $\lambda = 0$  and corresponding characteristic function  $\phi(\lambda)$ . Let  $u_n$  be the solution of the equation  $u_n = P_n f(u_n)$  and let  $u$  be the solution of the equation  $u = f(u)$ . The above results then apply to the convergence of the approximate solutions  $u_n$  to  $u$  and of the numbers  $\|u_n\|$  to  $\|u\|$ .

KRASNOSEL'SKIY, M. A.

PA 174T24

USSR/Mathematics - Nonlinear Equations  
Topology

1 Sep 50

"Topological Method in the Problem of the Eigenfunc-  
tions of Nonlinear Operators," M. A. Krasnosel'skiy  
Math Inst, Acad Sci Ukrainian SSR

"Dok Ak Nauk SSSR" Vol LXXIV, No 1, pp 5-7

Establishes 3 theorems governing subject method,  
whose topological expression greatly simplifies  
statement of existence and assumptions. Submitted  
23 Jun 50 by Acad A. N. Kolmogorov.

174T24

KRASNOSEL'SKIY, M. A.

PA 174T28

USSR/Mathematics - Nonlinear  
Operators  
Eigenfunctions

11 Sep 50

"Eigenfunctions of Nonlinear Operators Asymptotically Close to Linear Ones," M. A. Krasnosel'skiy, Inst Math, Acad Sci Ukrainian SSR

"Dok Ak Nauk SSSR" Vol LXXIV, No 2, pp 177-179

Investigation of set of eigenvectors with max norm. Submitted 23 Jun 50 by Acad A. N. Kolmogorov.

174T28



KRASNOSEL'SKIY, M. O.

Mathematical Reviews  
May 1954  
Analysis

10-7-54  
LL

3  
Krasnosel'skiy, M. O. Vector fields symmetric with respect to a subspace. *Dopovidi Akad. Nauk Ukrain. RSR* 1951, 8-11 (1951). (Ukrainian. Russian summary)

Let the Banach space  $E$  be the Cartesian product of the Banach spaces  $E_1, E_2$ . The point  $z^* = (x, -y) \in E, x \in E_1, y \in E_2$  is said to be symmetric to  $z = (x, y)$  relative to  $E_1$ . The main result of the paper is the following theorem. Let  $\Phi$  be a completely continuous vector field on some sphere  $S \subset E$  such that neither  $\Phi$  nor its projection  $P_1\Phi$  onto  $E_1$  vanishes anywhere. Assume that in no point  $z \in S, \Phi z^*$  is parallel to the vector that is symmetric to  $\Phi z$  relative to  $E_1$ . Then the index of  $\Phi$  on  $S$  differs from that of  $P_1\Phi$  on  $S \cap E_1$  by an even integer. This theorem is used to establish the existence of a solution for a certain pair of nonlinear integral equations in two unknown functions. The proofs are said to be based on the results of a paper by the author and M. G. Krein [*Ukrain. Mat. Zhurnal* 1, no. 2, 99-102 (1949); these Rev. 14, 72] that was not accessible to the reviewer.

M. Golomb (Lafayette, Ind.).

KRASNOSEL'SKIY, M. A.

Mathematical Reviews  
Vol. 14 No. 11  
Dec. 1953  
Topology

*math.* 4  
Krasnosel'skiĭ, M. A. On the theory of completely continuous vector fields. Ukrain. Mat. Zhurnal 3, 174-183 (1951). (Russian)

Let  $F$  be a completely continuous operator defined on the sphere  $S$ ,  $\|x\| = \rho$ , of some Banach space  $E$ , and let  $\Phi$  be the vector field  $Fx - x$ ,  $x \in S$ , which is assumed to contain no zero vector. Then the characteristic  $\chi(\Phi, S)$  of  $\Phi$  on  $S$  is defined, generalizing the definition used for vector fields on finite-dimensional spheres. The author proves that two such vector fields  $\Phi, \Psi$  are homotopic if and only if  $\chi(\Phi, S) = \chi(\Psi, S)$ . He mentions that this was proved by H. Rothe for the special case where  $E$  is a Hilbert space, but the latter actually proved it for the general case of a vector field defined on the boundary of a convex set in a strictly convex linear topological space [Iowa State Coll. J., Sci. 13, 373-390 (1939); these Rev. 1, 108]. In the second part of the paper the author extends a theorem proved by G. Borsuk and L. S. Lusternik-Schnirelmann for the finite-dimensional case to  $E$ : If the vectors of the field  $\Phi$  are not parallel at diametrically opposite points of  $S$  then  $\chi(\Phi, S)$  is odd. It follows that under these conditions if  $F$  is defined and completely continuous for  $\|x\| \leq \rho$ ,  $F$  has a fixed point in the interior of  $S$ . With this fixed-point principle the author proves that if  $A$  is defined and completely continuous for  $\|x\| \leq \rho$ , and  $B$  is a linear completely continuous operator such that  $\|Ax - \lambda Bx\| < \|x - \lambda Bx\|$  for  $x \in S$  then  $Ax = x$  has a solution  $x_0$ ,  $\|x_0\| < \rho$ . It seems to the reviewer that the conditions on  $B$  are unnecessarily restrictive. The same result follows if  $\|Ax + Bx\| < \|x + Bx\|$ ,  $x \in S$ , for any operator  $B$  for which  $B(-x) = -Bx$ ,  $x \in S$ . M. Golomb (Lafayette, Ind.).



KRASNOSEL'SKIY, M. A.

"Application of Topology to Nonlinear Functional Analysis," *Usp. Mat. Nauk* Vol. 6  
No. 4 (44), pp 193-220, 1951.

U-1635, 16 Jan 52